The Structure of Vivianite and Symplesite

By H. Mori and T. Ito

Mineralogical Institute, University of Tokyo, Japan

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The crystal structure of vivianite, Fe₃(PO₄)₂.8H₂O, and symplesite, Fe₃(AsO₄).8H₂O, has been determined using Weissenberg and oscillation photographs (Mo $K\alpha$, $\lambda = 0.710$ A.). The unit cells have dimensions:

Vivianite
$$a = 10.08$$
, $b = 13.43$, $c = 4.70$ A., $\beta = 104^{\circ}$ 30′, Symplesite $a = 10.25$, $b = 13.48$, $c = 4.71$ A., $\beta = 103^{\circ}$ 50′,

with two molecules in each cell. The space group is C_2^3h-C2/m . The structure is built up of single and double octahedral groups of oxygen and H_2O around Fe. The double group, $Fe_2O_6(H_2O)_4$, is linked to two neighbouring similar groups and four other single groups, $FeO_2(H_2O)_4$, by P (or As) which is in the middle of a tetrahedron of oxygen, forming a complex band extended parallel to (010). Parallel bands are held to each other by H_2O molecules which, lying on both sides of the band, are again grouped together tetrahedrally. The electrostatic balance of the component atoms and atom groups are almost ideally maintained.

Introduction

Vivianite and symplesite belong to the group of minerals whose chemical composition is expressed by the formula $A_3(XO_4)_2.8\mathrm{H}_2\mathrm{O}$, where A is Mg, Zn, Ni, Co or Fe and X is P or As. They are all similar crystallographically, but isomorphous replacement is rather rare. We present in the following the result of a study undertaken to find the structural type of this well-defined mineral family.

Experimental

The vivianite and symplesite crystals used were respectively from Ashio and Kiura, Japan. They were both slender prisms about 5 mm. in length. A number of Weissenberg–Buerger as well as oscillation photographs were taken (Mo $K\alpha$, $\lambda=0.710\,\mathrm{A.}$). In view of strong absorption care was taken in estimating intensities of reflexions, comparing visually only adjacent spots in the photographs.

Unit cell and space group

The dimensions of the unit cells measured in the photographs are as follows:

	\boldsymbol{a}	\boldsymbol{b}	\boldsymbol{c}	β
Vivianite	10·08 A.	13·43 A.	4·70A.	104° 30′
Symplesite	10·25 A.	13·48 A.	4·71A.	103° 50′

There are two molecules respectively of $Fe_3(PO_4)_2$. $8H_2O$ and $Fe_3(AsO_4)_2$. $8H_2O$ in the cell.

The space group $C_2^3h-C_2/m$ of vivianite has been determined by Barth (1937) and by Takané & Omori (1936 a, b). We have found the same group also for symplesite.

Analysis

The general trends of X-ray spectra of the two minerals are, except for minor differences, very similar and suggest that their structures may be based on the same general plan. We have observed, further, regularities of spectra which provided a clue to their structure, certain strong or weak reflexions occurring invariably in pairs. $(3n \cdot k \cdot 0)$ reflexions (n = 0, 2, 4, ...) are strong when k=8m or 8m+2, and weak when k=8m+4 or $8m+6 \ (m=0,1,2,...);$ and (3n.k.0) reflexions (n=1,1,2,...) $3, 5, \ldots$) are strong when k = 8m + 3 or 8m + 5, and weak when k=8m+1 or 8m+7 (m=0,1,2,...) (see Table 2). This would be roughly explained by placing one of the heavy atoms, say A, at $\frac{1}{3}$, 0, z and the other, say B, at $0, \frac{3}{2}, 0$. Similar regularities found regarding (hk1) and $(hk\bar{1})$ reflexions further narrow down the range of the z parameter of A atom to around $\frac{1}{3}$.

Out of six Fe in the cell we may accordingly place two at the centres of symmetry, 0,0,0 and $\frac{1}{2},\frac{1}{2},0$, and the remaining four Fe and four P (or As) either in the A or B positions. A preliminary calculation indicated

Table 1. Co-ordinates of atoms in symplesite

(These co-ordinates are applicable also to the structure of vivianite to a first approximation.)

Atom	No. of equiv. points	x/a	y/b	z/c
$\mathbf{Fe}_{\mathbf{r}}$	2	0	0	0
Fe_{Π}	4	0	0.390	0
As (or P)	4	0.315	0	0.410
$O_{\mathbf{I}}$	4	0.155	0	0.350
O_{rt}	4	0.400	0	0.750
O_{III}	8	0.365	0.100	0.245
$(\hat{\mathrm{H_2O}})_{\mathrm{I}}$	8	0.085	0.110	0.820
$(\mathbf{H_2O})_{11}$	8	0.400	0.220	0.750

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Table 2. Intensity of X-ray spectra of vivianite and symplesite

Intensities were estimated visually in Weissenberg–Buerger photographs (Mo $K\alpha$ radiation; camera radius 34·1 mm.; coupling 1 mm. to 1°). $Q = (4 \sin^2 \theta)/\lambda^2$, where θ is Bragg angle and $\lambda = 0.710$ A. Q values are given only for symplesite.

(a) Symplesite and vivianite. Rotation axis [001]; zero level

	(,	Symplesite		Vivianite		
hkl	$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc.}$	$I_{ m obs.}$	$F_{ m calc.}$	
060	1981	m	56		-3	
080	3522	vvs	230	vs	177	
0.10.0	5503	vs	218	vs	174	
0.12.0	7924	mw	$\begin{array}{c} 76 \\ 45 \end{array}$	$oldsymbol{w}$	$\begin{array}{c} 37 \\ 9 \end{array}$	
$0.14.0 \\ 0.16.0$	$10786 \\ 14088$	$w \ ms$	45 71	\overline{w}	38	
0.18.0	17830	ms	129	m	98	
0.20.0	22012	w	82	w	54	
150	1477	_	21	m	47	
170	2797		26	mw	47	
190	4558	m	-75	mw	-56	
1,11,0	6759	_	-10		$\begin{matrix} 6 \\ 25 \end{matrix}$	
1.13.0 1.15.0	$9401 \\ 12483$		$\begin{array}{c} 24 \\ 26 \end{array}$	$egin{array}{c} vw \ w \end{array}$	40	
260	2384	mw	-81	w	41	
280	3925		27	m	61	
2.10.0	5906		30	mw	60	
2.12.0	8328	vw	-47	vw	-21	
2,14,0	11189	vw	-65	w	-41	
2.16.0	14491	_	-18		4	
330	1403	8	134	8	72	
350	2284	8	153	8	$\begin{array}{c} 98 \\ 31 \end{array}$	
370 390	3605 5366	mw	78 5 3	vw	$\frac{31}{12}$	
3,11,0	7567	$w \\ mw$	77	\overline{w}	40	
3,13,0	10208	m	117	m	84	
3.15.0	13290	w	87	w	55	
400	1613	w	-47	$oldsymbol{w}$	-42	
420	1833	_	23	$oldsymbol{w}$	27	
440	2495		-36	vw	-32	
460	3594 5195		14		16	
$\frac{480}{4.10.0}$	5135 7116	_	30 16	vw	31 19	
4.12.0	9537		-5	_	-4	
510	2575	8	-117	m	68	
530	3015	_	-4	m	44	
550	3896	mw	64	8	108	
570	5217	w	-67	vw	-27	
590	6977	w	-64	$oldsymbol{w}$	-34	
5.11.0 5.13.0	$9179 \\ 11820$	vw	$\begin{array}{c} -46 \\ 30 \end{array}$		$\begin{array}{c} -13 \\ 61 \end{array}$	
5.15.0	14902	_	-3	$\overset{w}{-}$	25	
600	3629	8	110	8	72	
620	3849	8	124	8	87	
640	4509		42		6	
660	5610	mw	73	_	39	
680	7151	m	108	m	73	
6.10.0	9132	mw	97	m	70	
6.12.0	11553		61	w	35	
6.14.0	14415		26		1	
710 720	4994		-7		-19	
730 750	5435 6315	m	$\begin{array}{c} 101 \\ 146 \end{array}$	ms	$\begin{array}{c} 88 \\ 124 \end{array}$	
750 770	7636	ms —	46	$oldsymbol{s} w$	35	
790	9397	_	5	~	-5	
7.11.0	11598		25		15	
7.13.0	14249	w	88	mw	80	
7.15.0	17321	vw	67	w	58	

Table 2(a) (cont.)

			Table 2	a) (com.)			
			Symplesite			Vivianit	ю
hkl		$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc.}$	$\overline{I_{ ext{obs.}}}$		$F_{ m calc.}$
800		6451	-008.	29	- 00s. m		~ cale.
820		6671		-33			7
840		7332	mw	-90	w		-49
860		8432	w	-75	vw		-36
880		9973		-1	vw		32
8.10.0		11954		8	w		42
8.12.0		13110	vw	-47	_		15
910 930		8220 8660		$\begin{array}{c}2\\77\end{array}$			-18
950		9541	$egin{array}{c} w \ w \end{array}$	85	$oldsymbol{w}{vw}$		58 65
970		10861	vw	49			31
990		12622		-12			-30
9,11,0		14823	vw	34	_		17
9.13.0		17465	vw	70	vw		55
10.0.0		10080	m	124	ms		103
10.2.0		10300	vw	58	vw		34
10.4.0 $10.6.0$		$11680 \\ 12781$	_	$\begin{array}{c} 22 \\ 28 \end{array}$	_		1 8
10.8.0		14322	\overline{w}	87	\overline{mw}		68
10,10,0		16303	vw	86	w		68
11.1.0		12252	vw	-61	_		-27
11.3.0		12692	_	-23			10
11.5.0		13573	_	-25	_		7
11.7.0 $11.9.0$		$14893 \\ 16654$		$-37 \\ -87$			-6
11.11.0		18855	$\frac{w}{-}$	$-37 \\ -32$	$\frac{vw}{-}$		$-57 \\ -1$
12.0.0		14515	w	58	40		52
12.2.0		14735	vw	37	$\frac{w}{-}$		31
13.1.0		17090		43	_		18
13.3.0		17531	w	79	w		54
		(b) Sym	mlesite. Rotati	on axis [001]; 1s	at level		
hkl	$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc}$	hkl	$Q \times 10^4$	7	\boldsymbol{F}
061	2459		— 129	481	6033	$I_{ m obs.}$	$F_{ m calc}$
081	4000	$ms \ w$	-129 7	4.10.1	8014	_	$\begin{array}{c} 42 \\ 36 \end{array}$
,10,1	5981		12	4,12,1	10435		-22
.12.1	8402	m	- 58				
,14,1	11264	m	-81	531	4018	8	141
,16,1	14566		-27	551 551	4899	8	146
151	2060	m	59	571 591	$\begin{array}{c} 6220 \\ 7980 \end{array}$	$egin{array}{c} m \ w \end{array}$	$\begin{array}{c} 92 \\ 60 \end{array}$
171	3380	vw	24	5,11,1	10182	mw	80
191	5141	vw	-28	5.13.1	12823	mw	$1\overline{20}$
.11.1	7342	_	-15				
.13.1 .15.1	$9984 \\ 13066$	$\frac{w}{}$	$\begin{array}{c} 39 \\ 43 \end{array}$	$\begin{array}{c} 661 \\ 681 \end{array}$	$\begin{array}{c} 6788 \\ 8329 \end{array}$	$egin{array}{c} vw \ w \end{array}$	-32 34
241	1972						
$\frac{241}{261}$	$\begin{array}{c} 1972 \\ 3072 \end{array}$	$egin{array}{c} m \ w \end{array}$	-73 -5	T51 T71	$\begin{array}{c} 1850 \\ 3170 \end{array}$	vs	$\begin{array}{c} 172 \\ 89 \end{array}$
281	4613	8	155	T 91	4931	w	32
.10.1	6594	ms	153	T.11.1	7132	8	83
.12.1	9016	vw	63	<u>I</u> .13.1	9774	8	121
.14.1	11877	vw	1	T.15.1	12856	mw	80
.16.1	15179	m	70	501	9659		00
.18.1	18921	m	95	$rac{\overline{2}61}{\overline{2}81}$	$\begin{array}{c} 2652 \\ 4193 \end{array}$	$egin{array}{c} w \ mw \end{array}$	60 96
331	2196		3	$\overline{2}$, $\overline{10}$, $\overline{1}$	6174	w	79
351	3077	w	28	$\frac{1}{2}$,12,1	8096	_	. 8
371	4398	—	12	×			_
391	6159		29	$\frac{3}{3}$ 31	1566		8
.11.1 .13.1	$8360 \\ 11001$		28 16	$\frac{3}{3}51$	$\begin{array}{c} 2447 \\ 3768 \end{array}$	\overline{w}	40 -85
.15.1	14083	_	18	$\frac{371}{391}$	5529	ms	-130
			-5	$\overline{3}$, 11, 1	7730		-42
441	3391	mw	-86	3.13.1	10371	_	24
461	4492		-55				

			Table 2 (b) $(cont.)$			
hkl	$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc.}$	hkl	$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc.}$
$\overline{4}01$	1671	vs	162	$\overline{6}61$	5459	m	-121
$\overline{4}21$	1891	8	85	6 81	7000		- 19
441	2551	ms	80	6.10.1	8981		-4
$\overline{4}61$	3652	w	49	$\overline{6}$,12,1	11402	vw	-55
$\overline{4}81$	5193	ms	102				
4.10.1	7174	m	100	$\overline{7}11$	4738	$oldsymbol{w}$	26
4.12.1	9595	vw	44	$\overline{7}31$	5179	m	72
				751	6059	m	102
511	2528	$oldsymbol{w}$	-34	771	7380	vv	59
$\overline{5}31$	2968	ms	117	$\overline{7}91$	9141		8
$\overline{5}51$	3849	8	164	7.11.1	11342		13
571	5170		47				
$\overline{5}91$	6930		-25	$\overline{8}01$	6090	m	126
5.11.1	9032	_	27	$\overline{8}21$	6310	w	108
5.13.1	11773	w	98	$\overline{8}41$	6971		8
				$\overline{8}61$	8071		27
$\overline{6}01$	3478	_	-11	$\overline{8}81$	9612	$oldsymbol{w}$	111
$\overline{6}21$	3698	vv	-39	8.10.1	11593	vw	103
$\overline{6}41$	4358	8	-141		•		
		(c) Sym	plesite. Rotatio	n axis [102]; z	ero level		
hkl	$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc.}$	hkl	$Q \times 10^4$	$I_{ m obs.}$	$F_{ m calc.}$
$\overline{2}41$	1553	8	134	6 03	6054	mw	68
$\overline{2}61$	2654	w	75	$\overline{6}23$	6274		2
$\overline{2}81$	4195	m	90	$\overline{6}43$	6935	_	38
2.10.1	6176	. —	76	663	8035		19
				$\overline{6}83$	9576	vw	41
4 02	2692	8	100	6.10.3	11557		28
$\overline{4}22$	2912		24				
$\overline{4}42$	3573	8	78	804	10768	m	120
$\overline{462}$	4673	m	78	$\overline{8}24$	10998	mw	76
$\overline{4}82$	6214		18	$\overline{8}44$	11649	_	32
$\frac{4}{10.2}$	8195		$\bf 32$	$\overline{8}64$	12749		40
$\overline{4}.12.2$	10616	vw	45	884	14290	w	91

Table 3. Interatomic distances in symplesite

Atom	Neighbo	our	Distance (A.)	Atom	Neighbour	Distance (A.)
${ m Fe_I}$	$^{ m O_I}_{ m (H_2O)}$	(2) (4)	2·00 2·01	$\mathbf{O}_{\mathbf{III}}$	$egin{array}{c} ext{O}_{ ext{III}} \ (ext{H}_2 ext{O})_{ ext{I}} \end{array}$	$\begin{array}{c} 2 \cdot 69 \\ 2 \cdot 73 \end{array}$
${ m Fe}_{ m II}$	$(\mathrm{H}^{5}\mathrm{O})^{\mathrm{II}}$ $\mathrm{O}^{\mathrm{III}}$	(2) (2) (2)	$2.02 \\ 2.01 \\ 2.02$		$({ m H_2O})_{ m II}^{ m CO} \ ({ m H_2O})_{ m II} \ ({ m H_2O})_{ m II} \ ({ m H_2O})_{ m II} \ ({ m H_2O})_{ m II}$	2·89 2·92 2·84 3·53
As	$\mathbf{O}^{\mathbf{III}}_{\mathbf{O}}$	(2)	1·60 1·63 1·69	$(\mathbf{H_2O})_\mathtt{I}$	$(\mathrm{H_2O})_\mathrm{I} \ (\mathrm{H_2O})_\mathrm{I}$	2·96 3·09
P (vivianite)	$\mathbf{O}^{\mathbf{II}}$	(2)	1·57 1·62 1·68	$ m H_2O$ tetrahedr $ m (H_2O)_I$	$(\mathrm{H_2O})_{\mathrm{I'}} \ (\mathrm{H_2O})_{\mathrm{II}}$	$2.71 \\ 3.00$
O _I	$(\mathrm{H}^{5}\mathrm{O})^{\mathrm{I}}$ $\mathrm{O}^{\mathrm{III}}$	(2) (2)	2·75 2·69 2·84	$\rm (H_2O)_{I'}$	$(\mathbf{H_2O})_{\mathbf{II'}}^{\mathbf{O}}$ $(\mathbf{H_2O})_{\mathbf{II}}$ $(\mathbf{H_2O})_{\mathbf{II'}}$	3·04 3·04 3·00
O _{II}	$(\mathbf{H_2O})_{\mathbf{I}}^{\mathbf{I}}$ $(\mathbf{H_2O})_{\mathbf{I}}^{\mathbf{I}}$ $O_{\mathbf{III}}$	(2) (2) (2)	2·82 2·89 2·69	$(\mathrm{H_2O})_{\mathtt{II}}$	$(\mathrm{H_2O})_{\mathrm{II'}}$	2.72
,	O_{III} O_{III} O_{III} O_{III} $(H_2O)_{II}$ $(H_2O)_{I}$	(2) (2) (2) (2) (2) (2)	2·75 2·78 2·79 2·96 3·64			

that Fe in the B and P (or As) in the A positions furnish a more adequate explanation of experimental data than conversely Fe in the A and P (or As) in the B positions.

The final positions of atoms (Table 1) have been determined by trial and error, guided as usual by the possibilities that P (or As) may be surrounded tetra-

hedrally by four oxygen and Fe octahedrally by six oxygen (or $\rm H_2O$). We have obtained the parameters using the intensity data of symplesite and tested them later on those of vivianite. The agreement between experiment and calculation, as shown in Table 2, is satisfactory, accounting simultaneously for the differences as well as similarities that exist between the

observed spectra of vivianite and symplesite. The effect of replacement of As by P appears to be not so much on the parameters of atoms as on the lattice dimensions.

regular tetrahedron formed of four oxygen. The linkage repeats indefinitely, making up a complex band extended parallel with (010) (Fig. 2). A band is joined to a similar band only by the weak H₂O-H₂O bonds. It is

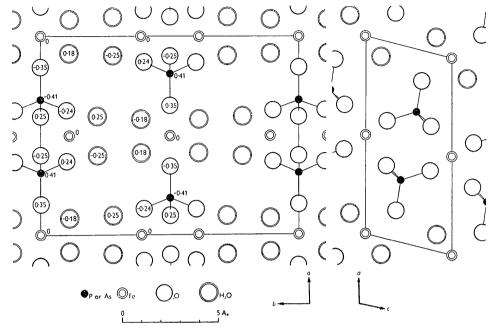


Fig. 1. The structure of vivianite and symplesite, projected along the c direction on to (001). Numbers give in decimal fractions of c the height of atoms from (001). The accompanying projection on (010) shows only half the b length of the cell.

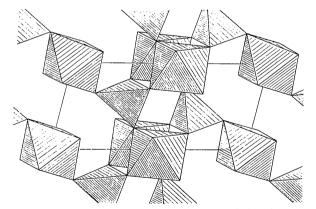


Fig. 2. The structure of vivianite and symplesite shown as linked polyhedra of O or O and H_2O around P (or As) or Fe, as viewed from the b direction. Two $O-H_2O$ octahedra are joined together to form a double group with the composition $Fe_2O_6(H_2O)_4$, while the single octahedral group has the composition $FeO_2(H_2O)_4$.

Fe(2) Fe(2) Fe(2) Fe(2) Fe(3) Fe(3) Fe(4) Fe(5) Fe(5) Fe(5) Fe(5) Fe(6) Fe(7) Fe(7) Fe(8) Fe(10) Fe(

Fig. 3. The electrostatic balance around the tetrahedra formed of $\rm H_2O$, which link the single octahedral group to the double octahedral group. Note that two $\rm H_2O$ molecules of a tetrahedron are equally but oppositely polarized to the other two.

Description of the structure

The bulk of the structure (Fig. 1) is built up, as expected, of the octahedral groups of oxygen and $\rm H_2O$ around Fe. Of these, two identical ones are grouped together holding an O-O edge in common. Such a double group, $\rm Fe_2O_6(\rm H_2O)_4$, is linked to two neighbouring similar groups and to four other single octahedral groups, $\rm FeO_2(\rm H_2O)_4$, by P (or As) which is at the centre of a

to be noted that four H_2O are combined to form a nearly regular tetrahedron. Two constituent H_2O of the tetrahedron each form part of the single octahedral group and the other two each of the double octahedral group. The balance of valency is such that the former two H_2O are to match each a residual bond of $\frac{1}{8}$ and the latter each a bond of $-\frac{1}{8}$, making them equally but oppositely polarized (Fig. 3). The grouping in tetra-

hedra of $\rm H_2O$ molecules in the structure seems to be well stabilized. The extremely perfect (010) cleavage of vivianite and symplesite may presumably take place across these $\rm H_2O-H_2O$ bonds. Interatomic distances calculated are given in Table 3.

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The Hydrogen Bond in Crystals. VIII. The Isotope Effect in KH₂AsO₄

By D. H. W. DICKSON AND A. R. UBBELOHDE The Queen's University, Belfast, Northern Ireland

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The axial lengths of tetragonal $\mathrm{KH_2AsO_4}$ are found to be $a=7\cdot609\pm0\cdot001$, $c=7\cdot148\pm0\cdot001$ kX. at 18° C. X-ray measurements on $\mathrm{KH_2AsO_4}$ show that the isotope effect when deuterium is substituted for hydrogen involves a lattice expansion in the direction of the short hydrogen bonds. On the basis of certain assumptions, the isotope effect (D for H) involves an expansion of $0\cdot0080$ kX. in $\mathrm{KH_2AsO_4}$ which compares with $0\cdot0097$ kX. in $\mathrm{KH_2PO_4}$ and $0\cdot0100$ kX. in $(\mathrm{NH_4})\mathrm{H_2PO_4}$.

Various evidence indicates that the protons are less strongly bonded to the AsO_4 complex than to the PO_4 complex. Experiments are described which show (a) that, unlike KD_2PO_4 , KD_2AsO_4 shows no evidence of a tendency to crystallize spontaneously in a monoclinic form; and (b) that, when heated, KH_2AsO_4 loses water fairly readily to form $KAsO_3$. When $KAsO_3$ is dissolved in water it undergoes the reaction $KAsO_3 + H_2O \rightarrow KH_2AsO_4$ practically instantaneously. On the other hand, KH_2PO_4 is much more resistant to heat. When the KPO_3 is dissolved in water, the PO_3' is at first largely polymerized and hydrates only with difficulty.

The free energies of transfer and heats of transfer of the proton in the reactions

$$\begin{split} & 2 \text{H}_2 \text{PO}_4' \! \rightleftharpoons \! \text{H}_3 \text{PO}_4 + \text{HPO}_4'', \quad \Delta G = 6 \cdot 5, \quad \Delta H = 3 \cdot 8 \text{ Cal. mole}^{-1}, \\ & 2 \text{H}_2 \text{AsO}_4' \! \rightleftharpoons \! \text{H}_3 \text{AsO}_4 + \text{HAsO}_4'', \quad \Delta G = 5 \cdot 2, \quad \Delta H = 2 \cdot 2 \text{ Cal. mole}^{-1}, \end{split}$$

are briefly discussed in relation to the theory of the hydrogen bond in these crystals.

Introduction

From the isomorphism and from recent determinations of crystal structure (Helmholz & Levine, 1942), it may be inferred that KH₂AsO₄ contains short hydrogen bonds similar to those in KH₂PO₄ and in a number of other crystals. KH₂AsO₄ also shows a continuous transition to the ferro-electric state, analogous to that in KH₂PO₄, but at 95.6°K. instead of at 122°K. (Stephenson & Zettlemoyer, 1944). It was of particular interest to study the isotope effect in KH₂AsO₄ in view of these similarities, and also in view of the fact that KD₂PO₄ crystallizes spontaneously in a structure distinct from KH₂PO₄ (Ubbelohde, 1939b). In the course of experiments on the isotope effect, significant differences between H₂AsO'₄ and H₂PO'₄ were observed, which were further investigated because of their bearing on the behaviour of hydrogen bonds in crystals.

So far as the evidence goes, the hydrogen bonds in crystals of KH_2AsO_4 appear to be somewhat weaker than in KH_2PO_4 . The origin of this difference may be tentatively related with the ionic sizes of the H_2AsO_4 and H_2PO_4 complexes.

Experimental procedure

Preparation of KH₂AsO₄

 ${\rm KH_2AsO_4}$ was prepared by neutralizing ignited ${\rm K_2CO_3}$ ('Analar' grade) with the equivalent amount of ${\rm As_2O_5}$ in hot distilled water according to the equation

 $\rm K_2CO_3 + As_2O_5 + 2H_2O \rightarrow 2KH_2AsO_4 + CO_2$ (i) Owing to impurities of silicate in the $\rm As_2O_5$ the solution had to be filtered; the amounts of $\rm As_2O_5$ corresponding to the weight of insoluble residue were then added in a second neutralization. The $\rm KH_2AsO_4$ was recrystallized three times. In the final sample, analysis of the arsenic content by precipitation as $\rm Mg(NH_4)AsO_4$. $\rm 6H_2O$ and ignition to $\rm Mg_2As_2O_7$ gave $\rm 41\cdot48$ % as the mean of four observations (theory $\rm 41\cdot61$ %). When the crystals were dehydrated at $\rm 400^{\circ}$ C. according to the reaction

$$KH_2AsO_4 \rightarrow KAsO_3 + H_2O,$$
 (ii)

the yield of potassium metarsenate was 99.7 % of theory, which gave a further check on the purity.

Preparation of KD₂AsO₄

As is detailed below, special tests showed that the reaction $AsO_3' + D_2O \rightarrow D_2AsO_4'$ (iii)